



# Metrics for probabilities

## Many ways to classify metrics

1. Tests for single-valued property (e.g. mean)
2. Tests of broader forecast distribution
  - Both may involve reference forecasts (“skill”)

## Caveats in testing probabilities

- Observed probabilities require many events
- Big assumption 1: we can ‘pool’ events
- Big assumption 2: observations are ‘good’



# Continuous prob. forecasts

## Discrete/categorical forecasts

- Many metrics rely on discrete forecasts
- e.g. will it rain? {yes/no} (**rain > 0.01**)
- e.g. will it flood? {yes/no} (**stage > flood level**)

## What about continuous forecasts?

- An infinite number of events
- Arbitrary event thresholds (i.e. 'bins')?
- Typically, yes (and choice will affect results)



# Metrics vary by design

## Observation-centered metrics (discrim.)

- “What do forecasts do when observed do X”?
- i.e. “binning” in terms of observed
- e.g. Relative Operating Characteristic

## Forecast-centered metrics (reliability)

- “What do observed do when forecasts do Y”?
- i.e. “binning” in terms of forecasts
- e.g. Reliability Diagram

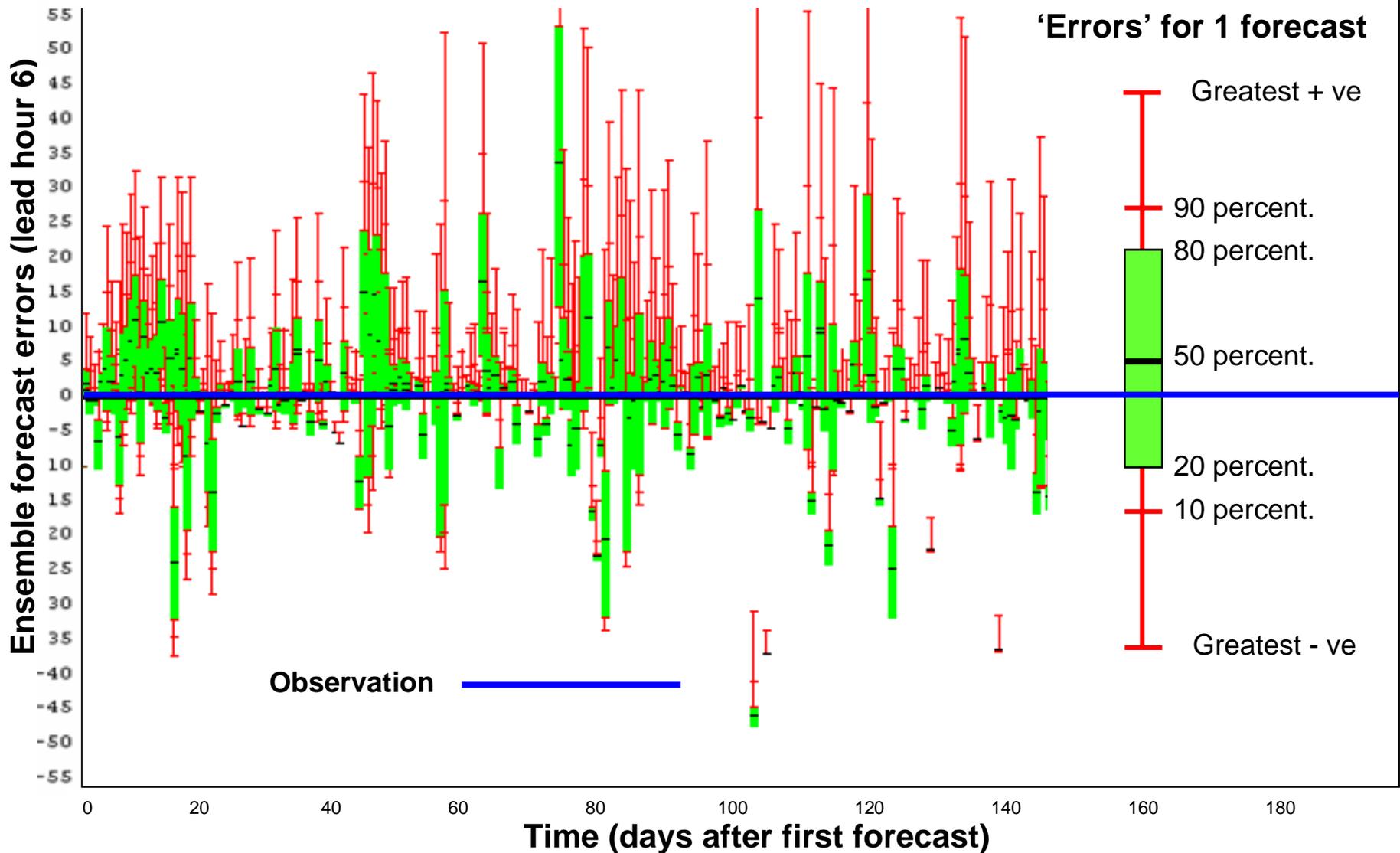


# Metrics vary in detail

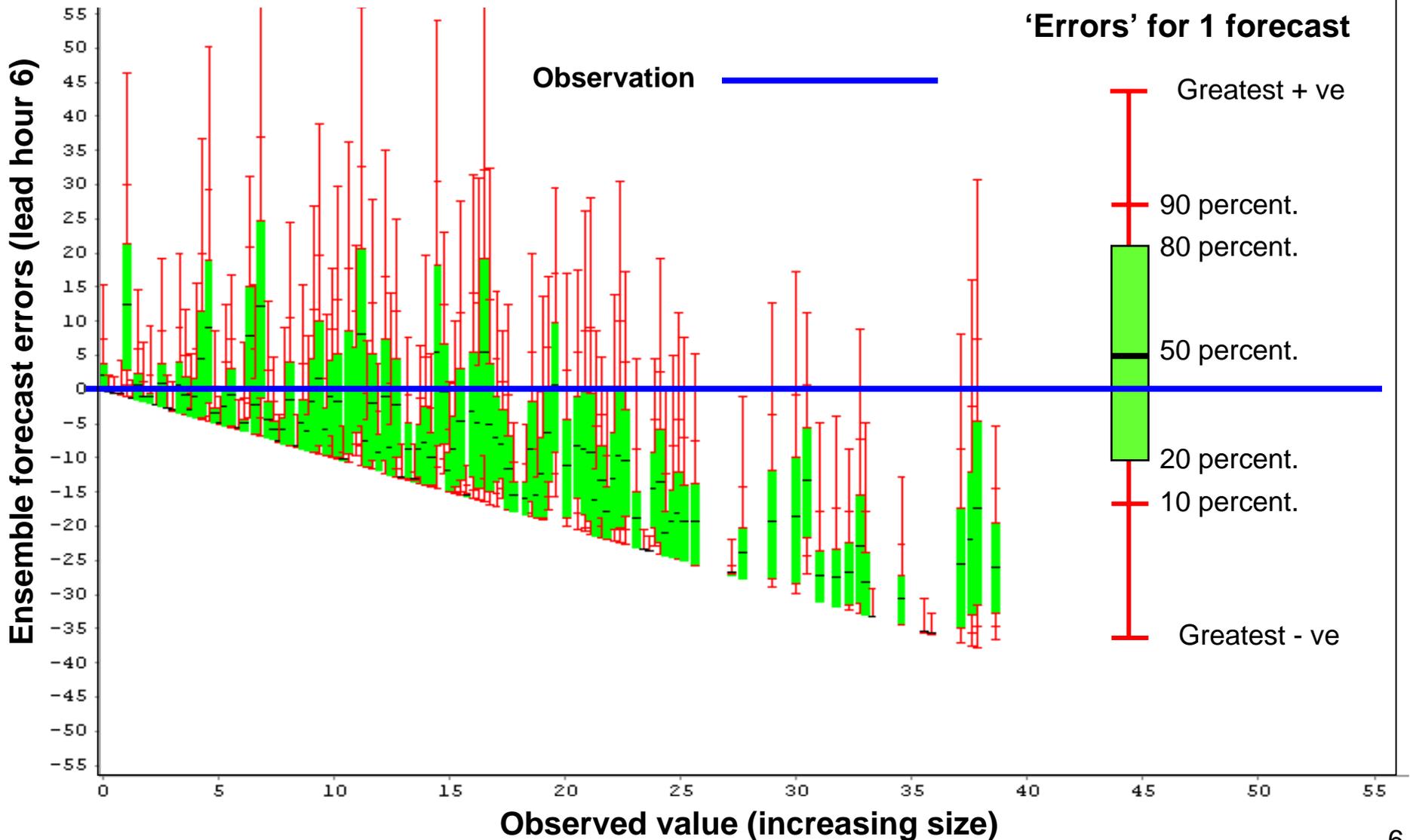
## Detail varies with verification question

- e.g. inspection of 'blown' forecasts (detailed)
- e.g. avg. reliability of flood forecast (< detail)
- e.g. rapid screening of forecasts (<< detail)

# Most detailed (box plot)



# Most detailed (box plot)





# Cumulative Talagrand

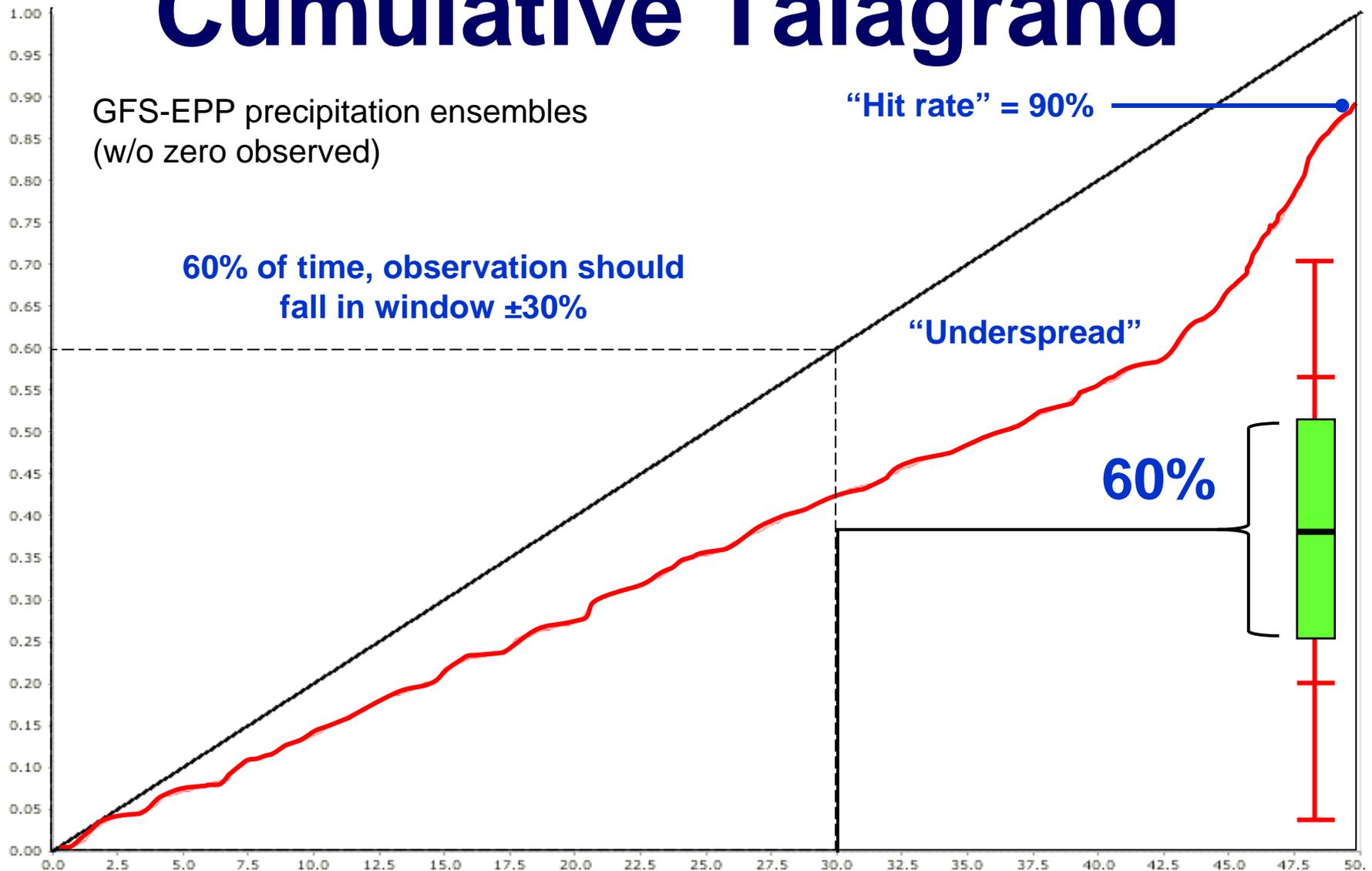
GFS-EPP precipitation ensembles  
(w/o zero observed)

“Hit rate” = 90%

60% of time, observation should  
fall in window  $\pm 30\%$

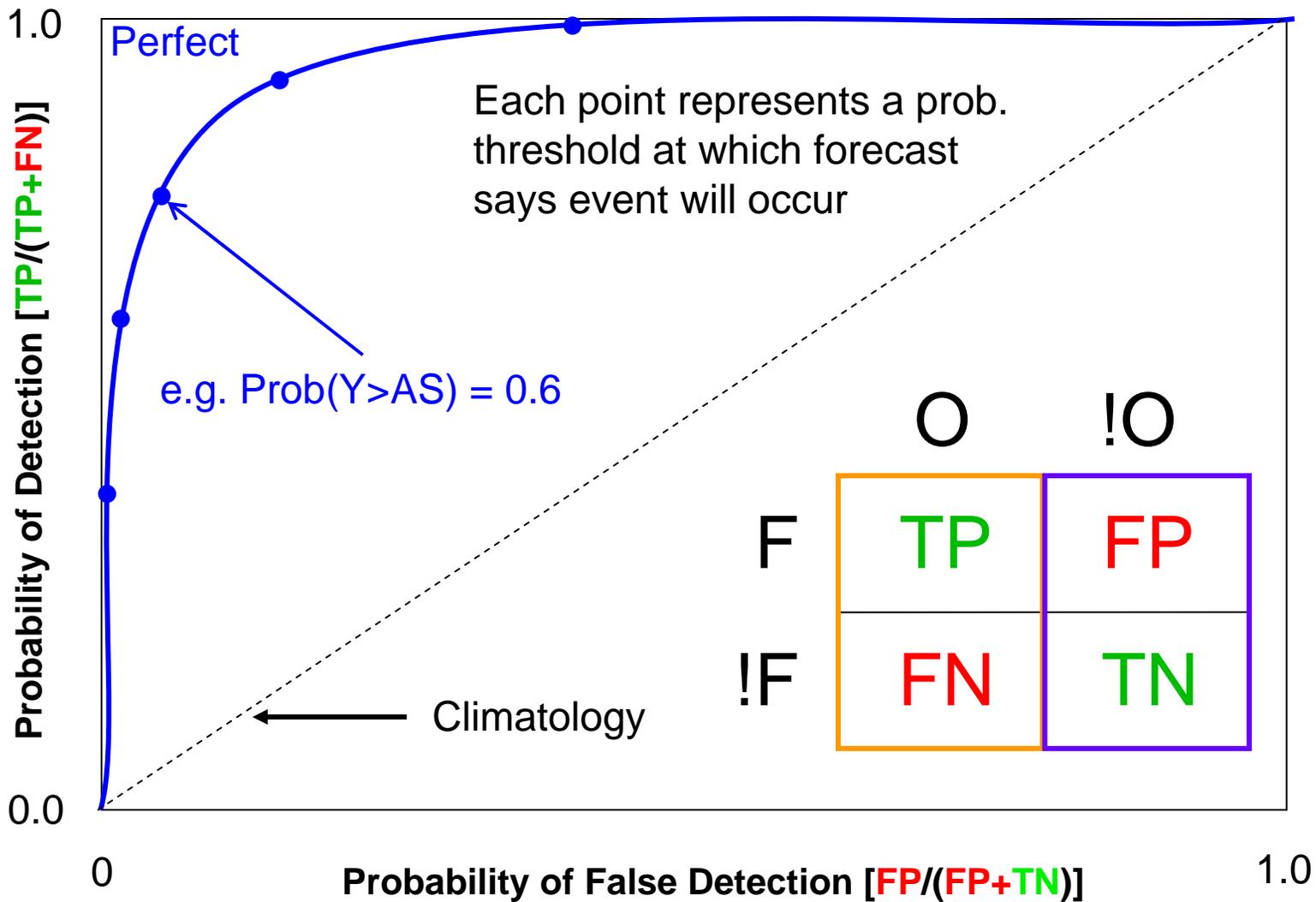
“Underspread”

60%



Error window (percentile around median)

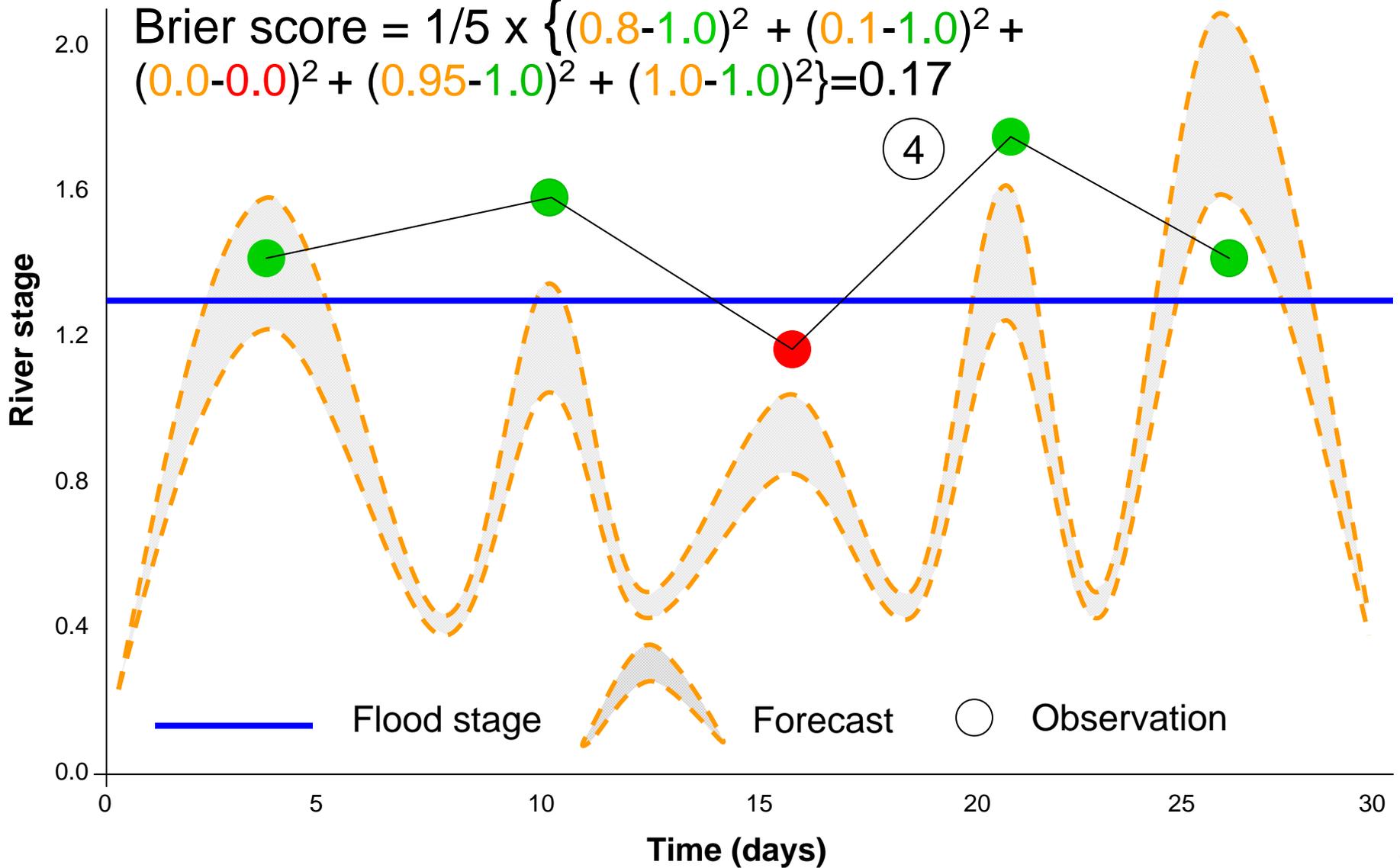
# ROC at Flood Action Stage





# Least detailed (a score)

$$\text{Brier score} = 1/5 \times \left\{ (0.8-1.0)^2 + (0.1-1.0)^2 + (0.0-0.0)^2 + (0.95-1.0)^2 + (1.0-1.0)^2 \right\} = 0.17$$



# Least detailed (a score)

